

Regime Dependence of Aerosol-Cloud Microphysical Interactions

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- 1. Introduction**
- 2. Model**
- 3. Results about relative dispersion**
- 4. Summary**

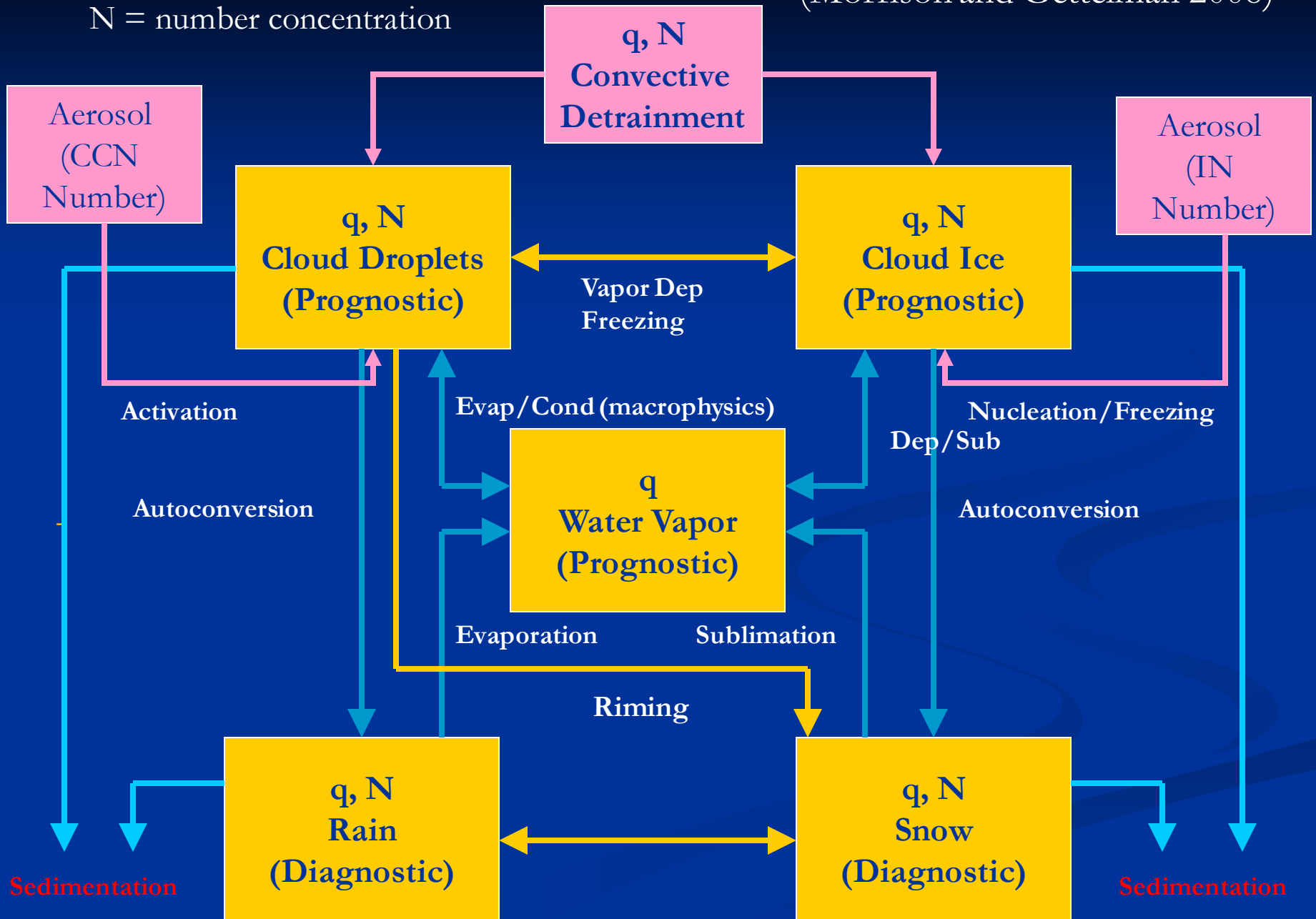
Impact of aerosols on cloud microphysics:

- Number concentration, mean radius
- Size distribution

Relative dispersion: $\varepsilon_d = \frac{\sigma}{r}$

q = mixing ratio
 N = number concentration

(Morrison and Gettelman 2008)



Cloud and precipitation particle size distributions are represented by gamma functions:

$$\phi(D) = N_0 D^\mu e^{-\lambda D}$$

- For cloud ice, snow, and rain, $\mu = 0$.
- For cloud droplets, μ varies from 2 to 15 as a function of droplet concentration following observations of Martin et al. (1994).

$$\mu = 1/\eta^2 - 1$$

$$\eta = 0.0005714 N_c'' + 0.2714$$

- Parameterization of μ can be important for prediction of effective radius and hence aerosol indirect effects (e.g., Rotstayn and Liu 2003, 2009)

(From Hugh Morrison)

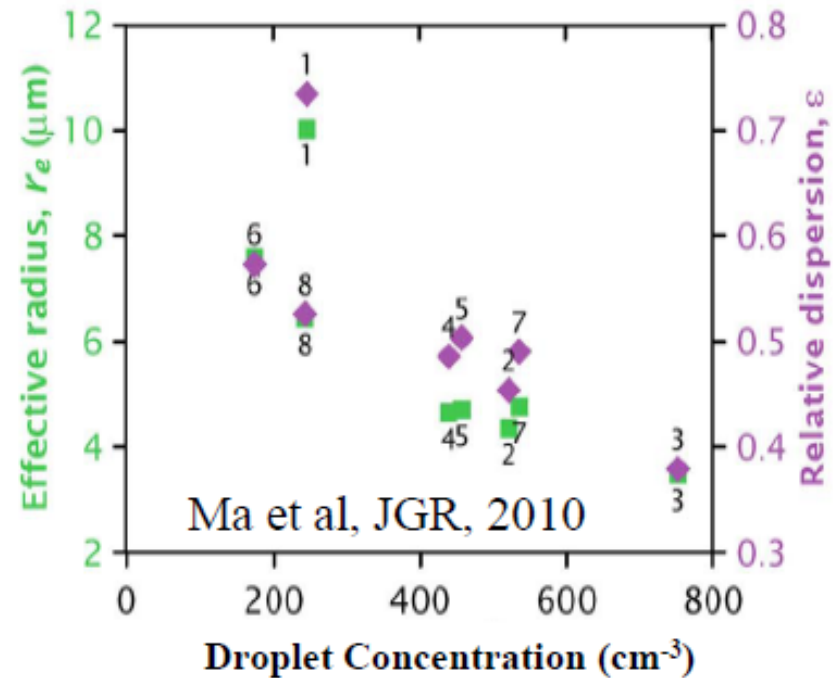
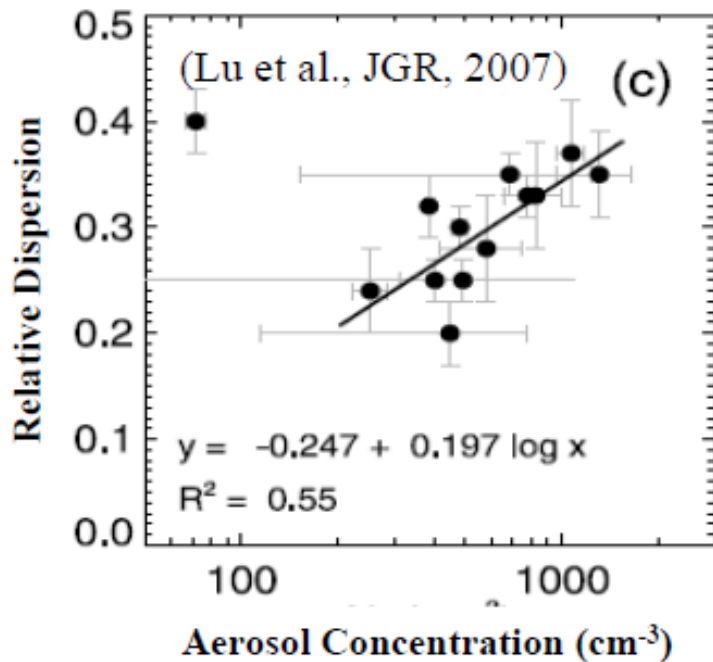
Impact of cloud spectral dispersion on radiation:

$$\tau = \frac{3 W}{2\rho_w r_e}.$$

$$r_e = \beta \cdot \bar{r} = \beta \cdot \left(\frac{LWC}{N} \cdot \frac{3}{4\pi\rho_w} \right)^{1/3}$$

$$\beta = \frac{(1 + 2\varepsilon_d^2)^{2/3}}{(1 + \varepsilon_d^2)^{1/3}}$$

Variation of dispersion with aerosol and cloud droplet concentration from observations



A modeling study of the aerosol impact on the relative dispersion of cloud droplet size distribution

CCN: Lognormal distribution

$$n(a_{ap}) = \frac{N_{ap}}{\sqrt{2\pi} \ln \sigma} \exp \left[-\frac{\ln^2(a_{ap} / a_m)}{2 \ln^2 \sigma} \right]$$

Geometric mean radius of 0.06 μm , geometric standard deviation of 1.5, sulfate ammonium with hygroscopicity (κ) 0.61 (Reutter et al., 2009).

A parcel model (Chen et al. 2016) with 200 size bins distributed logarithmically between 0.01 μm and 1 μm

$$\ln \frac{r_{bi}}{r_{min}} = \frac{i-1}{N_{bin}} * \ln \frac{r_{max}}{r_{min}}.$$

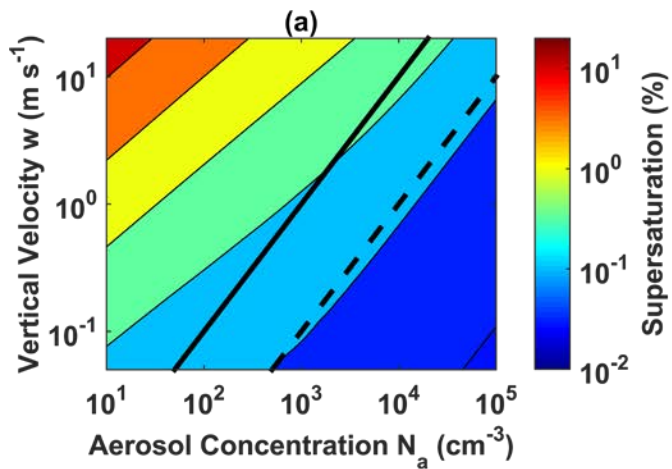
$$\frac{dm_{p,i}}{dt} = 4\pi r_{d,i} G \cdot (S - S_{k,i}),$$

$$\frac{dq_v}{dt} = -\frac{1}{\rho_d} \sum_i \left(\frac{dm_{p,i}}{dt} \cdot N_i \right),$$

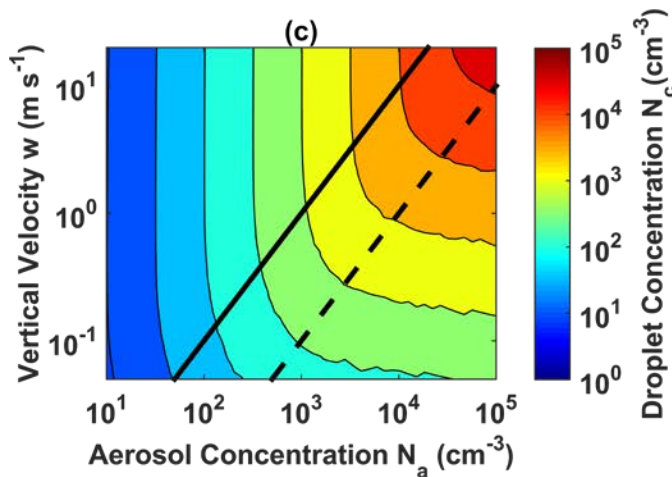
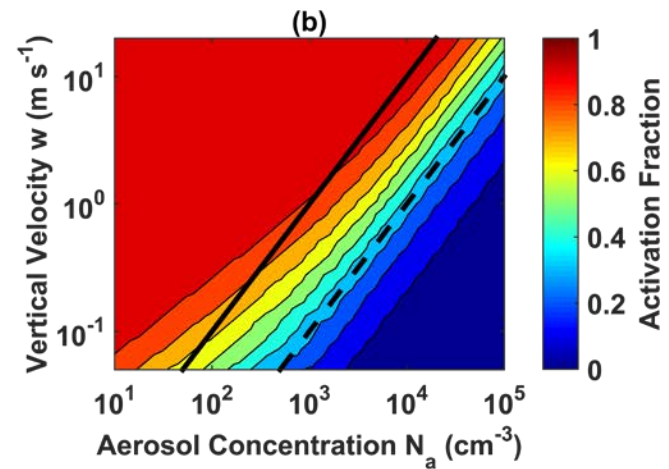
$$\frac{dT}{dt} = -\frac{g \cdot w}{c_p} + \frac{l_v}{c_p} \cdot \frac{dq_v}{dt},$$

The model is integrated at time steps of 0.01s to 1s for a wide range of aerosol number concentration and updraft velocity.

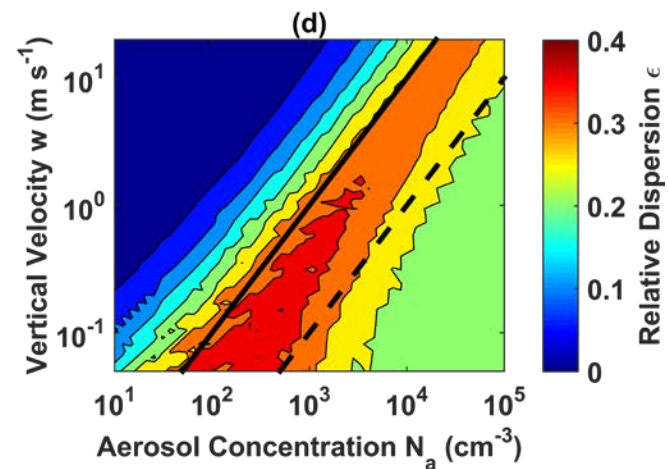
Supersaturation



Activation Fraction

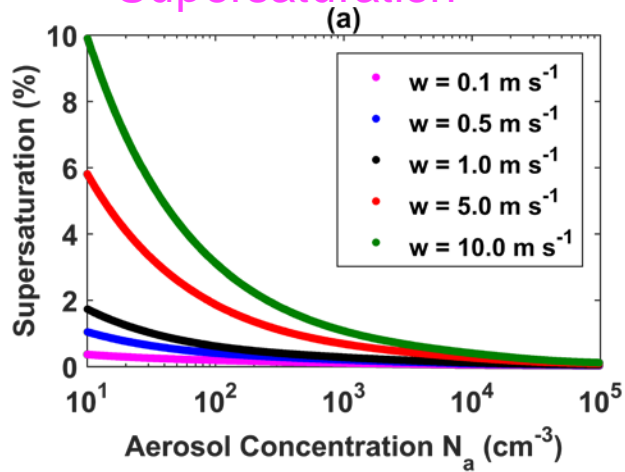


Droplet Concentration

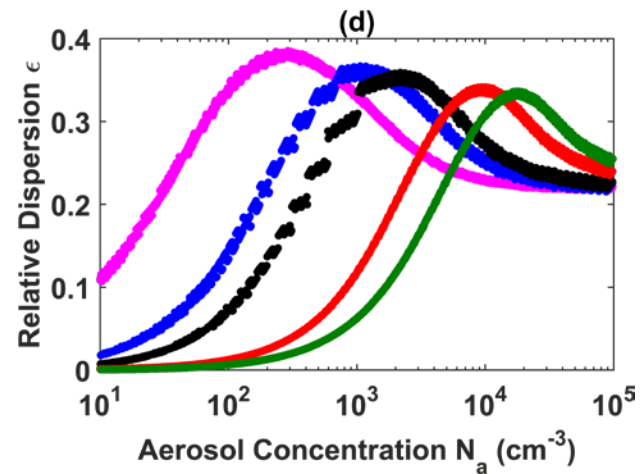
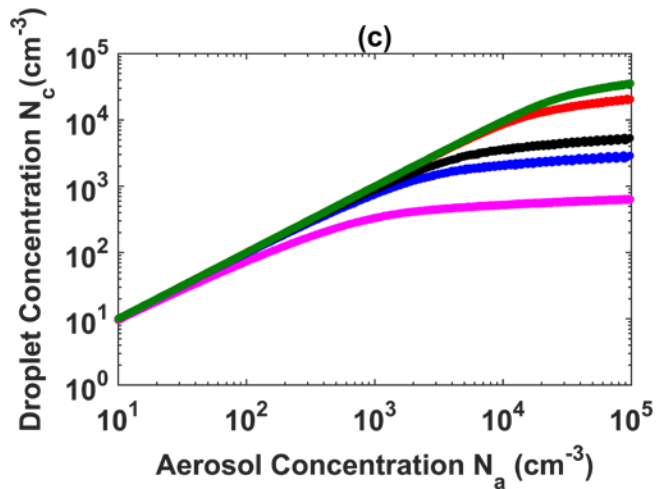
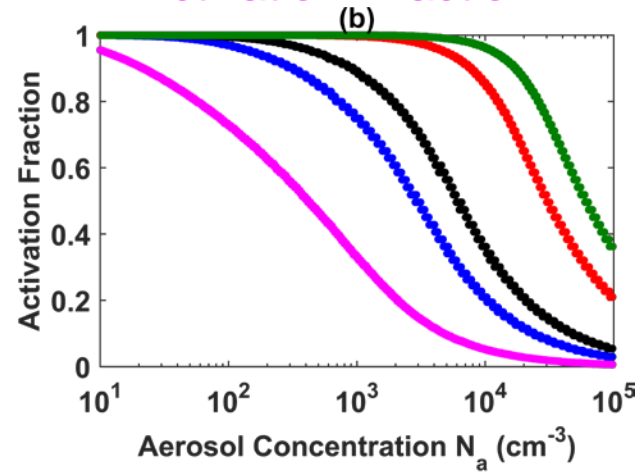


Relative Dispersion

Supersaturation



Activation Fraction



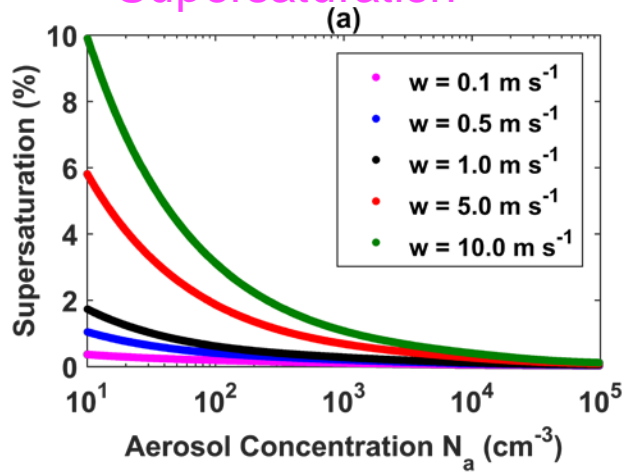
Droplet Concentration

Relative Dispersion

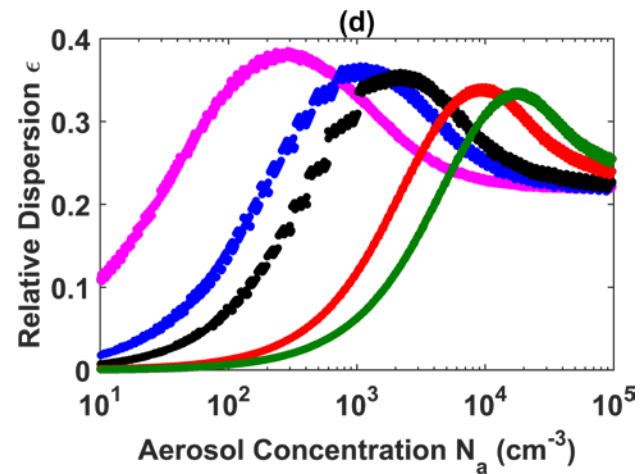
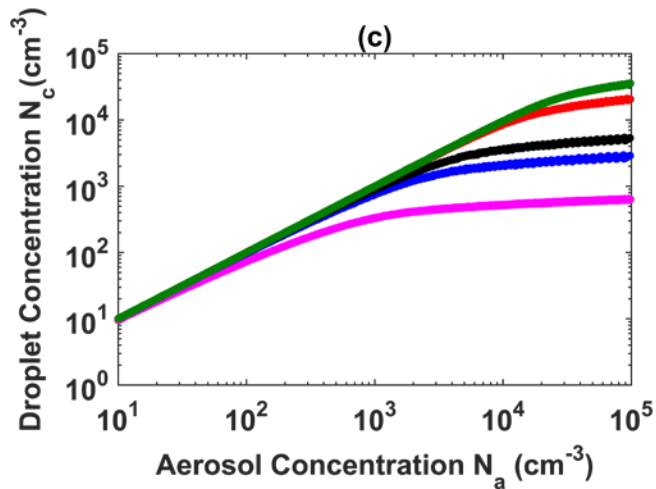
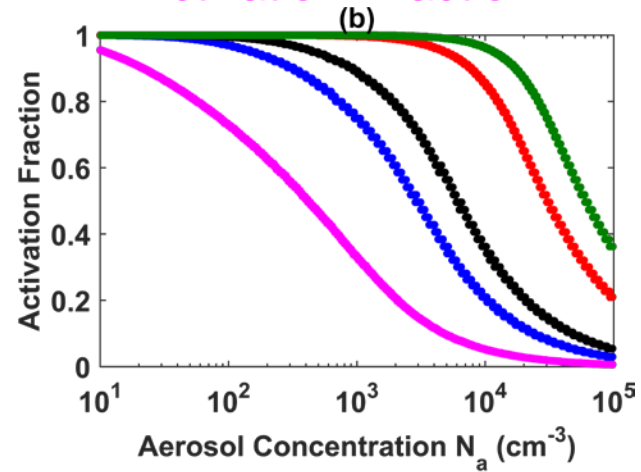
$$\frac{dr}{dt} = \frac{1S - S_k}{rG},$$

$$G = \left[\frac{RT\rho_w}{M_w D'_v e_s(T)} + \frac{l_v \rho_w}{M_w k'_T T} \left(\frac{l_v}{RT} - 1 \right) (1 + S_k) \right]^{-1},$$

Supersaturation

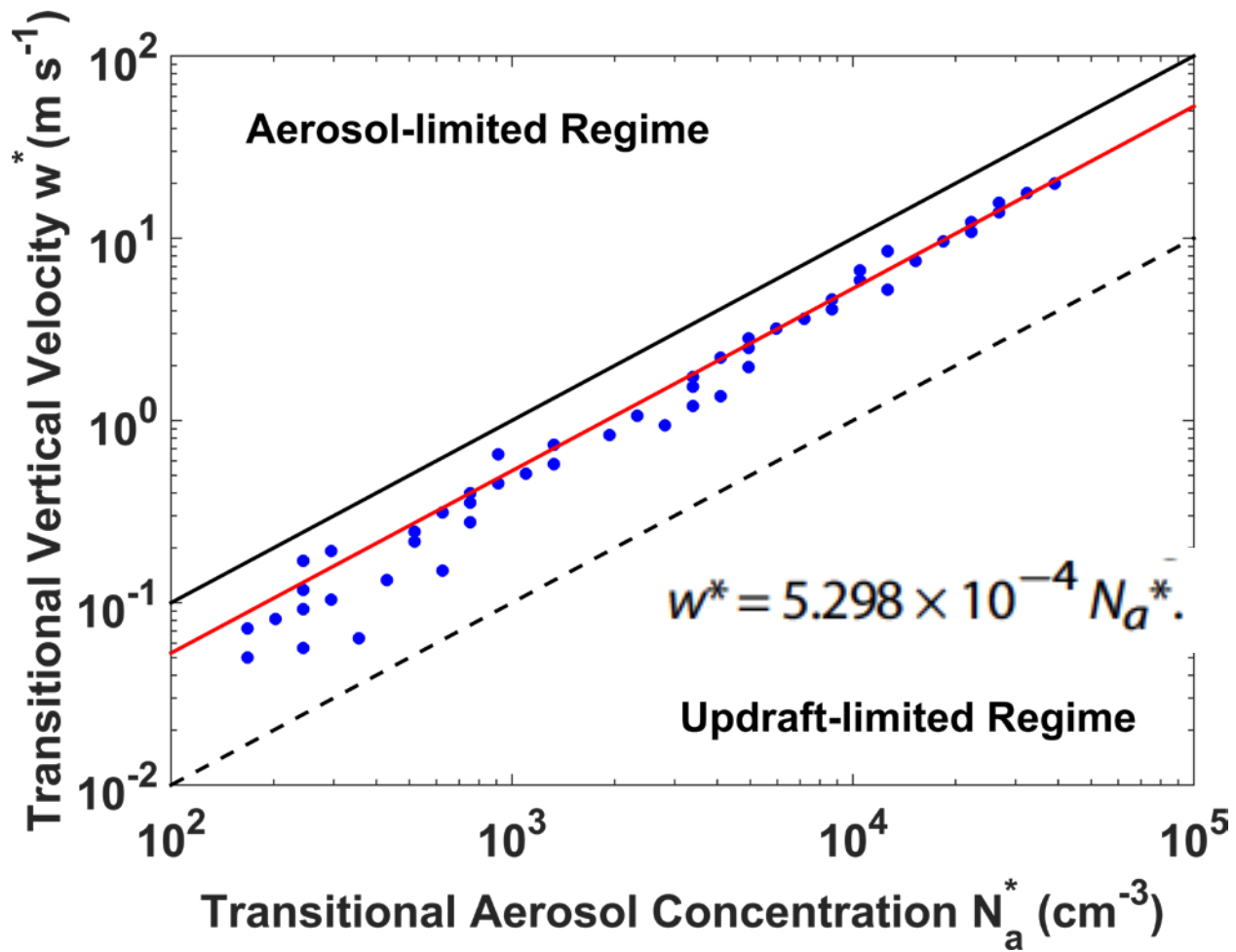


Activation Fraction

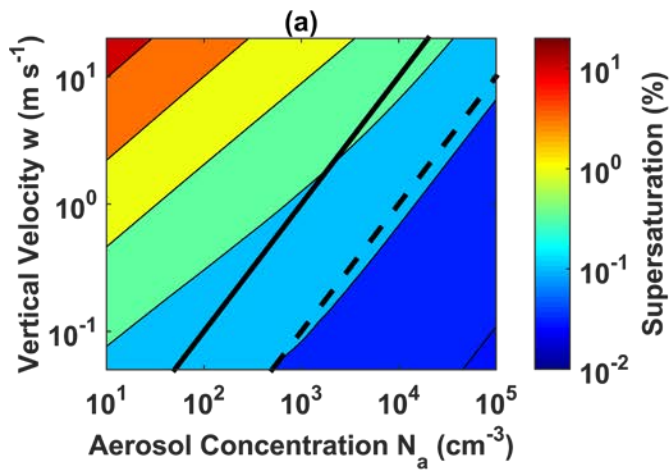


Droplet Concentration

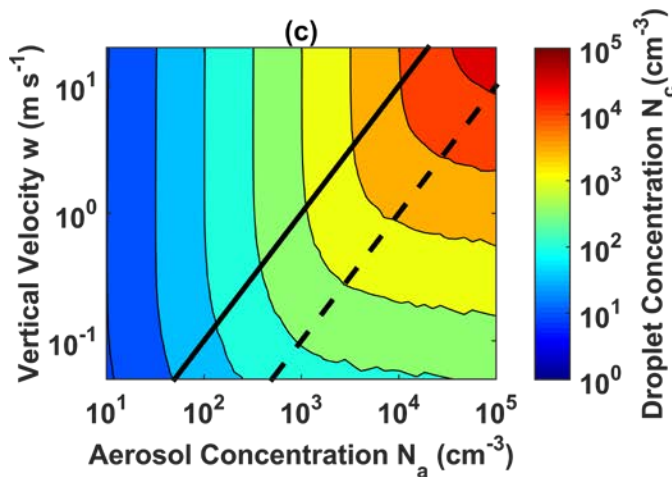
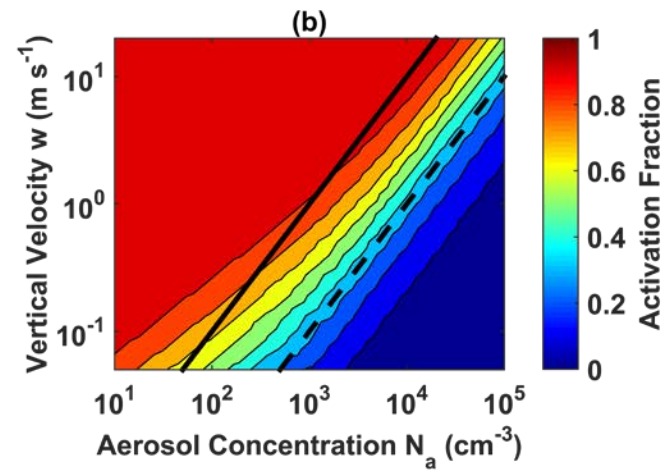
Relative Dispersion



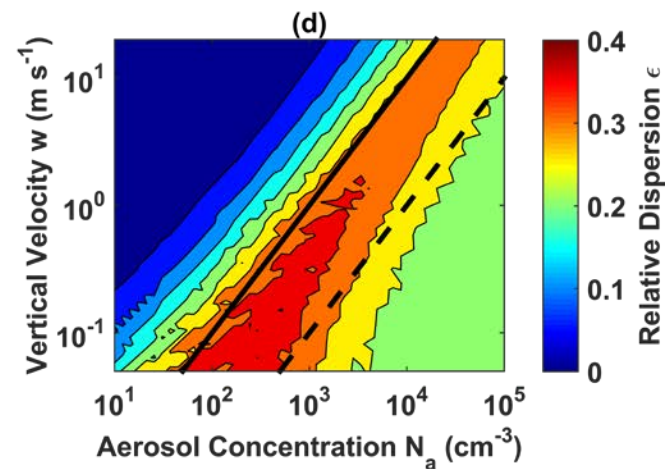
Supersaturation



Activation Fraction



Droplet Concentration



Relative Dispersion

Summary

1. Given updraft velocity, relative dispersion of cloud droplets from nucleation and condensation increases with increasing aerosol concentration in the aerosol-limited regime, peaks in the transitional regime, and decreases with further increasing aerosol concentration in the updraft-limited regime.
2. The contrasting behaviors of dispersion between the aerosol-limited and updraft-regimes can reconcile previous contradictory observational results on the dependence of cloud dispersion on aerosols.